# Quantifier float with overt restriction* 

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## 1 Introduction

A prima facie violation of the $\theta$-criterion: the same predicates appearing with $n$ and $n+1$ arguments.
(1) a. All (of) the cats are asleep
b. The cats are all asleep
(2) a. Both (of the) cats are asleep
b. The cats are both asleep
(3) a. Each of the cats ate a fish
b. The cats each ate a fish

The second 'nominal' seems to be a bare determiner. Sportiche's (1988) solution: one of the nominals originated within the other one. The number of arguments stays the same. ${ }^{1}$
(4) $\quad\left[\mathrm{TP}[\mathrm{DP} \text { The cats }]_{i}\left[{ }_{v \mathrm{P}}\left[\mathrm{DP}\right.\right.\right.$ each (of) $\left.\mathbf{t}_{i}\right][\mathrm{VP}$ ate a fish $\left.]\right]$

## 2 The FQ isn't a bare determiner

(5) kol mitmoded Javar et ha-si Sel-o each contestant broke.SG DOM the-record of-him
'Each contestant broke his record. ${ }^{2}$ (no floating)
(6) hem Javru [kol *(mitmoded)] et ha-si Jel-o
they broke.PL each contestant DOM the-record of-him

[^0]'Their record breaking was such that each contestant broke his record. ${ }^{3}$
ha-mitmodedim favru [kol *(exad)] et ha-si Sel-o the-contestants broke.PL each one DOM the-record of-him 'The contestants' record breaking was such that each contestant broke his record.'

An imaginable reconciliation of the data with Sportiche's stranding-partitive analysis:
(8) $\quad\left[\mathrm{TP}[\mathrm{DP} \text { They / The contestants }]_{i}\left[{ }_{v \mathrm{P}}\left[\mathrm{DP} \text { each one/contestant (of) } \mathbf{t}_{i}\right]_{j}[\mathrm{VP}\right.\right.$ broke his ${ }_{j}$ record]]

## 3 Against partitivity: congruence and $\theta$-sharing

### 3.1 Congruence

Surprisingly for the stranding analysis, the FQ construction does not have the range of meanings that its partitive counterpart has. The sum of the restrictor's members has to be coextensive with-and not merely a proper part of - the antecedent. The contrast between (9a) and (9b) is not expected.
a. [kol martsa me-hem] matsiga et ha-projekt fel-a each lecturer. F from-they. M presenting.F.SG DOM the-project of-her 'Each female lecturer among them is presenting her project.' (no floating)
b. *hem matsig-im [kol martsa] et ha-projekt fel-a they. M presenting.M.PL each lecturer. F DOM the-project of-her
c. hen matsig-ot [kol martsa] et ha-projekt Sel-a they. F presenting.F.PL each lecturer. F DOM the-project of-her 'They are presenting projects as follows: each female lecturer is presenting her project.'
(10) (Context: they are a group of $\{1-5\}$-year students.) What did the students eat at the party?
a. [kol student Jana Jnija me-hem] axal mana axeret each student year second from-them ate.SG dish other
'Each 2nd year student among them ate a different dish.'
b. \#hem axlu [kol student Jana Snija] mana axeret they ate.PL each student year second dish other 'Their eating was as follows: each 2nd year student ate a different dish.'

[^1]Multiple FQs: the sum of the FQ's restrictors must be coextensive with the antecedent.
a. ha-jeladot tsav?u [kol jalda mi-kita alef] igul ve-[kol jalda the-girls painted each girl from-class A circle and-each girl mi-kita bet] mefulaf
from-class B triangle
'The girls' painting was as follows: each first-grader painted a circle and each second-grader painted a triangle.'
b. \#f?ar ha-jeladot tsav?u ribupa / ribu?im
rest the-girls painted square / squares
'The rest of the girls painted a square / squares.'
(World knowledge: carrots come in three colors: orange, purple, and white.)
a. joni paras et ha-gzarim [kol gezer katom] le-prusot avot ve-[kol Y. sliced DOM the-carrots each carrot orange to-slices thick and-each gezer sagol] le-prusot dakot
carrot purple to-slices thin
'Yoni sliced the carrots as follows: each orange carrot into thick slices and each purple carrot into thin slices.'
b. \#...et ha-gzarim ha-levanim hu taxan
... DOM the-carrots the-white he ground
'... the white carrots he ground.'

## $3.2 \theta$-sharing

The main predicate has to be true both of the antecedent and of each member of kol's restrictor. First, observe that it has to be true of the antecedent:
a. ha-xevra kanta [kol natsig] kise axer the-company bought each representative chair other
'The company's chair purchases were such that each representative bought a different chair.'
b. ha-opozitsja jazma [kol xak] xok axer
the-opposition initiated each MP law other
'The laws promoted by the opposition were such that each member of parliament (in it) promoted a different law.'
a. *ha-xevra hitjajva [kol natsig] al kise axer the-company sat.down each representative on chair other
b. *ha-opozitsja nexkera [kol xak] al parafat fxitut axeret the-opposition was.interrogated each MP on affair corruption other
a. ha-xevra kanta kise the-company bought chair 'The company bought a chair.'
b. ha-opozitsja jazma xok the-opposition initiated law 'The opposition promoted a law.'
c. *ha-xevra hitjafva the-company sat.down
d. *ha-opozitsja nexkera the-opposition was.interrogated

Again, partitives do not impose such a requirement:
a. kol natsig Sel ha-xevra hitjafev al kise axer each representative of the-company sat.down on chair other 'Each representative of the company sat down on a different chair.'
b. kol xak b-a-opozitsja nexkar al parafat fxitut axeret each MP in-the-opposition was.interrogated on affair corruption other 'Each member of the opposition was interrogated on a different corruption affair.'

Second, observe that the predicate also has to be true of each member of kol's restrictor:

> a. *ha-opozitsja hitkansa [kol xak] be-ulam axer the-opposition gathered each MP in-hall other
> b. ha-opozitsja hitkansa the-opposition gathered 'The opposition gathered.'
> c. *kol xak hitkanes each MP gathered

## 4 An event semantics analysis

### 4.1 Why event semantics

(18) ha-xevra kanta [kol natsig] Jlofa kisa?ot the-company bought each representative three chairs 'The company's purchase was s.t. each representative bought three chairs.'
Desiderata - entailments
(i) that each representative bought three chairs
(ii) that the company did some buying
(iii) that the company's buying and the representatives' buying are the same

To ensure (19-i), we can reconstruct V-to-T movement and interpret the FQ as the verb's (sole) external argument.

To ensure (19-ii), we need the antecedent and the verb, but not the rest of the VP. ${ }^{4}$ Suppose a gapping structure in which multiple copies of the verb are interpreted while

[^2]only one is pronounced. Suppose further, that the pronounced copy of the verb has its object dropped and existentially bound: $\exists x$ [the company bought $x]$.

We can introduce a conjunction operator and assume a bi-clausal structure, but even then (19-iii) will not follow. If the company did some buying (e.g., it bought another company) and the representatives each bought three chairs for their living rooms, (18) would be wrongly predicted to be true.

### 4.2 Assumptions

(20) Verbs are 1-place event predicates $\llbracket s m i l e \rrbracket=\lambda e_{v} . \operatorname{Smile}(e)$
Arguments are introduced as sisters to thematic-heads

$$
\begin{equation*}
\llbracket A g \rrbracket=\lambda x_{e} \cdot \lambda e_{v} \cdot A g(x)(e) \tag{21}
\end{equation*}
$$

(22) Different event predicates in the scope of the same event quantifier compose intersectively (PM)
a.


Ag the baby
b. $\lambda e_{v} \cdot A g($ the baby $)(e)$
c. $\quad \lambda e_{v} . A g($ the baby $)(e) \wedge \operatorname{Smile}(e)$
d. 1 iff $\exists e: A g($ the baby $)(e) \wedge \operatorname{Smile}(e)$

Cumulativity of events, theta-roles, and lexical verbs (Krifka, 1989; Kratzer, 2003; Champollion, 2016a, i.a.)
(23) For any lexical verb $P$, if $P\left(e_{1}\right)$ and $P\left(e_{2}\right)$ for some events $e_{1}, e_{2}$ s.t. $e=e_{1} \oplus e_{2}$, then $P(e)$. For example, $\left(e=e_{1} \oplus e_{2} \wedge \operatorname{Smile}\left(e_{1}\right) \wedge \operatorname{Smile}\left(e_{2}\right)\right) \rightarrow \operatorname{Smile}(e)$
"For any thematic role $\theta$ and any subset $E$ of its domain:
$\theta(\bigoplus E)=\bigoplus(\lambda x . \exists e \in E: \theta(e)=x) "$ (Champollion, 2016a, ex. 34 with slight notational modifications). Therefore, an individual who is the $\theta$ of some plural event is the sum of those individuals which are the $\theta \mathrm{s}$ of that event's parts. For example, $\left(e=e_{1} \oplus e_{2} \wedge A g(x)\left(e_{1}\right) \wedge A g(y)\left(e_{2}\right)\right) \rightarrow A g(x \oplus y)(e)$

[^3]Thematic uniqueness Thematic relations are functions. Therefore, for any thematic role $\theta$ and event $e$, if both $\theta(x)(e)$ and $\theta(y)(e)$ are true, then $x=y$ (Carlson, 1984; Parsons, 1990).

$$
\begin{equation*}
(A g(\text { the baby })(e) \wedge A g(\mathrm{Jill})(e)) \rightarrow \text { the baby }=\mathrm{Jill} \tag{25}
\end{equation*}
$$

QR Due to the type of thematic heads, a type mismatch will arise with any quantificational DP introduced as their argument, since such DPs are not of type $e$. Such a type mismatch is resolved by Quantifier Raising as with quantifiers in object position of verbs in Heim \& Kratzer (1998). QR will also allow for pronoun binding by the FQ.

Kol Kratzer's (2000; 2001) meaning for every, following Schein (1993):

$$
\begin{align*}
& \llbracket k o l \rrbracket=\lambda P_{e t} \cdot \lambda R_{e, v t} \cdot \lambda e_{v} . \forall x \in P \exists e^{\prime} \leq e: R(x)\left(e^{\prime}\right)  \tag{26}\\
& \wedge e=\sigma e^{\prime \prime}\left[\exists y \in P: R(y)\left(e^{\prime \prime}\right) \wedge e^{\prime \prime} \leq e\right]
\end{align*}
$$

As shown in (27), the DP kol xatul 'each cat' will take a relation $R$ and return a set of (sum-)events in which for each cat there is a sub-event of $R$-ing by that cat. Additionally, those sum-events contain only $R$-ings by cats.

$$
\begin{align*}
& \llbracket \text { kol xatul } \rrbracket=\lambda R_{e, v t} \cdot \lambda e_{v} . \forall x \in C a t \exists e^{\prime} \leq e: R(x)\left(e^{\prime}\right)  \tag{27}\\
& \wedge e=\sigma e^{\prime \prime}\left[\exists y \in C a t: R(y)\left(e^{\prime \prime}\right) \wedge e^{\prime \prime} \leq e\right]
\end{align*}
$$

To illustrate, a structure for (28) after QR and without V-to-T movement is provided in (29).
hem axlu [kol xatul] et ha-dag Sel-o
they ate each cat DOM the-fish of-his
'Their eating was as follows: each cat ate its fish.'

$\llbracket v P_{1} \rrbracket=\lambda x_{e} \cdot \lambda e_{v}^{\prime} \cdot\left[\operatorname{Ag}(x)\left(e^{\prime}\right) \wedge \operatorname{Eat}\left(e^{\prime}\right) \wedge\right.$ Theme $\left.(\iota z[\operatorname{Fish}(z) \wedge o f(x)(z)])\left(e^{\prime}\right)\right]$

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a. \(\exists e: A g(\) they \()(e) \wedge \forall x \in \operatorname{Cat} \exists e^{\prime} \leq e\left[\operatorname{Eat}\left(e^{\prime}\right) \wedge \operatorname{Ag}(x)\left(e^{\prime}\right) \wedge \operatorname{Theme}(\iota z[\operatorname{Fish}(z) \wedge\right.\)
    of \(\left.(x)(z)])\left(e^{\prime}\right)\right]\)
    \(\wedge e=\sigma e^{\prime \prime}\left[\exists y \in \operatorname{Cat}\left[\operatorname{Eat}\left(e^{\prime \prime}\right) \wedge \operatorname{Ag}(y)\left(e^{\prime \prime}\right) \wedge\right.\right.\) Theme \(\left.\left.\left.(\iota z[\operatorname{Fish}(z) \wedge o f(y)(z)])\left(e^{\prime \prime}\right) \wedge e^{\prime \prime} \leq e\right]\right]\right]\)
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b. There is a (sum-)event whose agent is they; for every atomic cat, there is an eating sub-event whose theme is that cat's fish and whose agent is that cat; the sum-event is the sum of such feline eating-one's-fish events.

Congruence By cumulativity, the agent of the sum event, they, is the sum of agents of the sub-events. Thus, we have derived congruence: they are all and only the cats. If they were to denote a plurality containing some non-cats, that plurality would also have to be a sum of feline-only agents (the agents of the sub-events), which is impossible.

Coordinated FQs Recall that in (12)-(11) we saw that a single antecedent can antecede multiple floated kol phrases. The same point is illustrated in (32), where the animals has to be the sum of the dogs and the cats due to congruence. ${ }^{5}$
ha-xajot sixku [kol xatul im kadur] ve [kol kelev im makel] the-animals played each cat with ball and each dog with stick
'The animals' playing was as follows: each cat played with a ball and each dog played with a stick.'

Below is a proposed structure for (32), ignoring ATB verb movement.

[^4](i) hem nixnesu miri l-a-salon ve-joni l-a-mitbax they entered M. to-the-livingroom and-Y. to-the-kitchen 'They entered s.t. Miri entered the living room and Yoni to the kitchen.'


Non-Boolean conjunction (Krifka, 1990; Lasersohn, 1995; Winter, 2001; Champollion, 2015):
$\llbracket a n d_{\oplus} \rrbracket=\lambda V_{v t} \cdot \lambda W_{v t} \cdot \lambda e_{v} \cdot \exists e^{\prime}, e^{\prime \prime} \leq e: V\left(e^{\prime}\right)=W\left(e^{\prime \prime}\right)=1 \wedge e=e^{\prime} \oplus e^{\prime \prime}$
In the case of (33), because of kol, $V$ and $W$ are each a complex event predicate of the following form, where $P$ is either cat or $d o g$ and play is either play with a ball or play with a stick. To save space I abbreviate in the scope of the $\sigma$ operator ' $\operatorname{Ag}(x)(e) \wedge P(e)$ ' as ' $P(x)(e)$ '.

$$
\begin{equation*}
\lambda e_{v} . \forall x \in P \exists e^{\prime} \leq e\left[\operatorname{Ag}(x)\left(e^{\prime}\right) \wedge \operatorname{play}\left(e^{\prime}\right)\right] \wedge e=\sigma e^{\prime}\left[\exists x \in P: \operatorname{play}(x)\left(e^{\prime}\right) \wedge e^{\prime} \leq e\right] \tag{35}
\end{equation*}
$$

The predicates playb and plays in (36) are shorthand for play with a ball and play with $a$ stick, respectively. The predicates $C$ and $D$ stand for $c a t$ and $d o g$, respectively.

$$
\begin{align*}
& \llbracket(33) \rrbracket=1 \text { iff } \exists e: \operatorname{Ag}(\bigoplus \text { Animal })(e) \wedge \exists e^{\prime}, e^{\prime \prime} \leq e: e=e^{\prime} \oplus e^{\prime \prime} \wedge  \tag{36}\\
& \forall c \in C \exists e^{\prime \prime \prime} \leq e^{\prime}\left[\operatorname{Ag}(c)\left(e^{\prime \prime \prime}\right) \wedge \operatorname{play}_{b}\left(e^{\prime \prime \prime}\right)\right] \wedge e^{\prime}=\sigma \ddot{e}\left[\exists c \in C: \operatorname{play}_{b}(c)(\ddot{e}) \wedge \ddot{e} \leq e^{\prime}\right] \\
& \wedge \forall d \in D \exists \hat{e} \leq e^{\prime \prime}\left[\operatorname{Ag}(d)(\hat{e}) \wedge \operatorname{play}_{s}(\hat{e})\right] \wedge e^{\prime \prime}=\sigma \tilde{e}\left[\exists d \in D: \operatorname{play}_{s}(d)(\tilde{e}) \wedge \tilde{e} \leq e^{\prime \prime}\right]
\end{align*}
$$

Thus, we predict that (33) is true iff there exists an event whose agent is the sum of the animals, and that event is composed of exactly two events $e^{\prime}$ and $e^{\prime \prime} ; e^{\prime}$ is a sum of feline-only events of playing with a ball, whereas $e^{\prime \prime}$ is a sum of canine-only events of playing with a stick.

### 4.3 Previous analyses cannot account for binding

a. $\llbracket e a c h_{\theta} \rrbracket=\lambda \mathbf{V}_{\mathbf{v t}} \cdot \lambda e_{v} \cdot e \in * \lambda e^{\prime}\left[V\left(e^{\prime}\right) \wedge \operatorname{Atom}\left(\theta\left(e^{\prime}\right)\right)\right]$ (Champollion, 2016b, 23)
b. $\quad \llbracket e a c h_{\theta} \rrbracket=\lambda X_{e} \cdot \lambda \mathbf{V}_{\mathbf{v t}} \cdot \lambda e_{v} . \forall x \leq X\left[\exists e^{\prime} \leq e\left[\theta\left(e^{\prime}, x\right) \wedge V\left(e^{\prime}\right)\right]\right]$ (Modified from LaTerza, 2014, 55)

To see how these meanings work, let's consider (38). Ignore the index on the rhinos. I will get to binding and to each's restrictor shortly.
(38) The rhinos each sneezed
a.

b. C: 1 iff $\exists e: \operatorname{Ag}(e, \bigoplus \operatorname{Rhino}) \wedge e \in * \lambda e^{\prime}\left[\operatorname{Sneeze}\left(e^{\prime}\right) \wedge \operatorname{Atom}\left(\operatorname{Ag}\left(e^{\prime}\right)\right)\right]$
c. LT: 1 iff $\exists e: \operatorname{Ag}(e, \bigoplus$ Rhino $) \wedge \forall x \leq \bigoplus \operatorname{Rhino}\left[\exists e^{\prime} \leq e\left[\operatorname{Sneeze}\left(e^{\prime}\right) \wedge\right.\right.$ $\left.\operatorname{Ag}\left(e^{\prime}, x\right)\right]$ ]

Treating each's argument as an event-predicate is convenient in a Neo-Davidsonian system where multiple constituents, including the VP, denote event-predicates. However, there is a crucial problem; it fails to predict these quantifiers' ability to bind pronouns, as demonstrated in (40). To bind pronouns a quantifier needs to interact with an abstraction over individuals. In other words, the quantifier has to take a variable of type $\langle e, \alpha\rangle$, where $\alpha$ is some semantic type.

Context: each rhino has a different mother.
The rhinos each saw its/their mother
ha-karnafim rapu [kol exad] et Pima Sel-o the-rhinos saw.3PL each one DOM mother of-his 'The rhinos each saw its/their mother.'

To illustrate the problem, let's try to use the entries in (37) on (41) and see why we fail. First, if we try simply without binding in the syntax, as in (42) below, it gets interpreted as a free variable. The rhinos will all be predicted to have seen the same mother - that of some contextually salient individual. This is not the reading we are looking for.
a.


Th their ${ }_{3} /$ its $_{3}$ mother
b. C: 1 iff $\exists e: \operatorname{Ag}(e, \oplus$ Rhino $) \wedge e \in * \lambda e^{\prime}\left[\operatorname{See}\left(e^{\prime}\right) \wedge \operatorname{Atom}\left(\operatorname{Ag}\left(e^{\prime}\right)\right)\right.$ $\wedge T h\left(e^{\prime}, g(3)^{\prime} s\right.$ mother $\left.)\right]$
c. LT: 1 iff $\exists e: \operatorname{Ag}(e, \oplus$ Rhino $) \wedge \forall x \leq \bigoplus R h i n o\left[\exists e^{\prime} \leq e\left[\operatorname{See}\left(e^{\prime}\right) \wedge \operatorname{Ag}\left(e^{\prime}, x\right)\right.\right.$ $\wedge T h\left(e^{\prime}, g(3)^{\prime}\right.$ s mother $\left.\left.)\right]\right]$

Suppose we have actual binding in the syntax, as in (43). Then the VP does receive an interpretation which involves abstraction over individuals whose mothers were seen, but each cannot combine with such an argument. Each requires an event predicate (type $\langle v, t\rangle$ ), but instead receives a relation between individuals and events (type $\langle e, v t\rangle$ ).


Th their $_{3} /$ its $_{3}$ mother

### 4.4 What governs the distribution of thematic heads?

General problem: since $\theta$-phrases, being predicates of events, compose intersectively with the verb, they can be easily added and omitted. How to prevent unaccusative verbs from having agents, unergative verbs from having themes, or transitive verbs from being intransitive?

Larson (2014) and Williams (2015) put the load of ruling out such illicit structures on the syntax. Consider (44) under the assumption that devour is stored in the lexicon with an ordered list of its syntactic arguments, represented as 'devour $\langle T h P, A g P\rangle$ ', a notational variant of Williams (2015). ${ }^{6}$
(44) a. Kim devoured the artichokes.

[^5]

The verb agrees with ThP upon merging with it and projects a VP with the remaining AgP feature. This assumes that agreement involves checking of features and their subsequent deletion. The process repeats itself with AgP . By assumption, if devour does not merge with a ThP, agreement fails and the derivation crashes. Thus, what ensures that devour takes exactly one theme and exactly one agent is the features it comes with from the lexicon and the feature deletion following agreement.

How can we weaken the system to allow several identical $\theta$ Ps for FQ kol? Suppose that feature deletion after agreement was merely possible, not obligatory. Then, multiple agents, themes, etc. can be generated with the same verb. Is this a problem? Consider (45) below, where sneeze's agent feature is not deleted upon agreement with the lower AgP , allowing a second AgP to be merged. (45) is ruled out on semantic grounds; thematic uniqueness dictates that each event has only one agent (if any). This entails that the cat and the dog refer to same individual, which is impossible given that cat and $\operatorname{dog}$ denote mutually exclusive sets of individuals. The doubling of other $\theta \mathrm{Ps}(46)$ is ruled out in the same way.
a. *The cat the dog sneezed
b. [Ag the cat] [[Ag the dog] sneezed]
a. *The cat licked the dog the mouse
b. [Ag the cat] [[licked [Th the dog]] [Th the mouse]]

The following example is also ruled out by thematic uniqueness, but for a different reason. Since proper names are definite descriptions, they carry uniqueness and existence presuppositions. Felix and Garfield each presuppose the existence of a unique individual with that name. Due to thematic uniqueness, this is possible only if these two individuals are the same.
a. *Felix Garfield sneezed
b. [Ag Felix] [[Ag Garfield] sneezed]

Example (48) below is not ruled out by thematic uniqueness but directly by the syntax. Sneeze is listed in the lexicon only with an agent feature, so the dog cannot be merged as its theme.
a. *The cat sneezed the dog
b. [Ag the cat] [sneezed [Th the dog]]

Finally, (49) is ruled out both by the syntax and by the semantics. Syntactically, both verbs require an agent, but only one AgP was merged. Even if the structure were licit, a semantic problem would arise; the same event cannot be both a sneezing and a jumping.
(49) *The cat sneezed jumped

## 5 Conclusion

- The stranding analysis explains a discontinuous DP of the form $D P \ldots D$ as derived from a partitive $D$ of $D P$
- Hebrew floating is of the pattern $D P_{1} \ldots D P_{2}$
- If $D P_{1} \ldots D P_{2}$ were derived from a partitive $\left[D_{2}\left[N P_{2}\right.\right.$ of $\left.D_{1} N P_{1}\right]$, it would be surprising that
(i) $N P_{1}$ and $N P_{2}$ must be coextensive
(ii) $D P_{1}$ and $D P_{2}$ are both interpreted as arguments of the main predicate
- Event semantics provides us with
- Thematic uniqueness and Schein-Kratzer subevent quantification, ensuring (i)
- Syntactically present thematic heads, allowing (ii)
- An abstraction over events, allowing multiple phrases to describe the same event
- For future research
- Requirements on kol's scope (Differentiation, Tunstall 1998)
- Restricting the distribution of thematic heads
- Generalizing to other quantifiers and other languages


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    ${ }^{1}$ Another $\theta$-criterion satisfying solution is to say that only one of the nominals is actually an argument, whereas the other one is an adverb (Dowty \& Brodie 1984).
    ${ }^{2}$ DOM stands for DIFFERENTIAL OBJECT MARKER.

[^1]:    ${ }^{3}$ Note that the floated quantifier follows the verb, arguably because Hebrew verbs move to T (Doron, 1983; Shlonsky, 1987).

[^2]:    ${ }^{4}$ It is false that the company bought three chairs in (18), even under an at least interpretation of the numeral, as illustrated in (i).
    (i) ha-xevra kanta [kol natsig] flofa kisa?ot bidjuk the-company bought each representative three chairs exactly 'The company's purchase was s.t. each representative bought exactly three chairs.'

    Do we need to say that the company bought chairs? (ii) shows that we do not.

[^3]:    (ii) ha-xevra kanta etmol [kol natsig mi-maxleket kisa?ot] flofa kisa?ot the-company bought yesterday each representative from-department chairs three chairs ve-[kol natsig mi-maxleket fulkanot] fnej fulxanot
    and-each representative from-department tables two tables
    'The company's purchase was s.t. each chairs-dept. representative bought three chairs and each tables-dept. representative bought two tables.'

[^4]:    ${ }^{5}$ Evidence for the generality of this strategy:

[^5]:    ${ }^{6}$ Larson's (2014) proposal is similar in essence, but is technically more complex and comes with additional assumptions about features in syntax.

